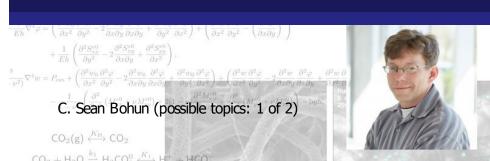
Applied and Industrial Mathematics
Undergraduate thesis topics

Applied and Industrial Mathematics

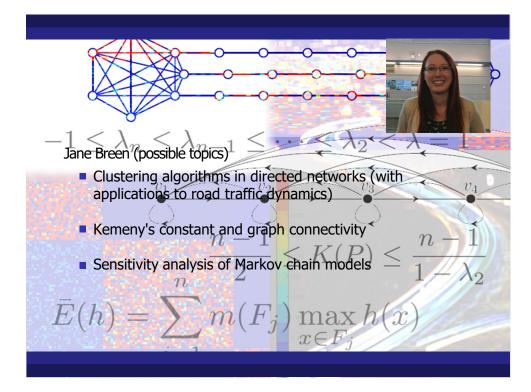


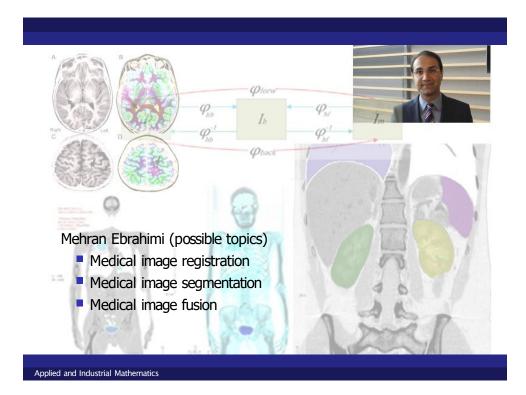
- $^{\rm CO_2 + H_2O} \stackrel{\stackrel{\leftarrow}{=}}{\stackrel{\leftarrow}{=}} {\rm H_2CO_2^0} \stackrel{\longleftarrow}{\stackrel{\leftarrow}{\leftarrow}} {\rm H^+ + HCO_2}$ Predicting and prescribing distortion of thin glass sheets.
- Investigate complex chemical processes. Examples include:

 Hothe carbonate system, responsible for ocean acidification; the
 Acheson process, responsible for commercial production of silicon carbide.
 - Tissue engineering: the optimal placement of cells using magnetic micro-beads.



- Modelling processes that characterize unknown samples to increase their current capabilities. Examples include: rotating disk apparatus, high resolution melt analysis and cyclic voltammetry.
- Develop mathematical tools to help design high power tuneable lasers.
- Model biological processes, Examples include: brain vascular systems and bone remodelling. $M[A] = \begin{bmatrix} A & \sqrt{W_0 (aEe^E)} & E = \int_{-\infty}^{\infty} |A|^2 \\ \frac{1}{2} \frac{1}{2} \cos{(\mu \pi e^{-T^2})} \end{bmatrix}, \quad F[A] = Ae^{ib|A|^2}, \quad D[A] = \frac{\sigma e^{i\pi/A}}{\sqrt{\pi}} \int_{-\infty}^{\infty} A(\tau) e^{-i\sigma^2(\tau T)^2} \, \mathrm{d}\tau, \quad L[A] = Ah.$





$$\frac{\partial \mathbf{u}}{\partial t} = \nu \nabla^2 \mathbf{u} - 2\mathbf{\Omega} \times \mathbf{u} + (g\mathbf{e})$$

$$\frac{\partial T}{\partial t} = \kappa \nabla^2 T - (\mathbf{u} \cdot \nabla) \mathbf{T},$$

$$\nabla \cdot \mathbf{u} = 0$$

Greg Lewis (possible topics)

NOTE: Dr. Lewis is on sabbatical in 2023/2024

- Transitions in atmospheric flow patterns
- Mathematical models for electro-location in weakly electric fish
- Mathematical aspects of MRI

$$\nabla \times \mathbf{E} = -i\omega \mathbf{B},$$

$$\nabla \times \mathbf{B} = \mu \left((\sigma + i\omega \epsilon) \mathbf{E} + \mathbf{j}_s \right)$$



Lennaert van Veen (possible topics)

- Phase transition in interface formation. Will include elements of: theory of interface formation, stochastic partial differential equations, numerical methods, data analysis.
- Bi-stability and critical noise. Includes: "flickering" noise in dynamical systems, the telegraph process, simple simulations.
- Stability analysis of shear flows. Will include elements of: Navier-Stokes flow, energy methods, Squire's theorem, Orr-Sommefeld equations.

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