Applied and Industrial Mathematics

Undergraduate thesis topics

Applied and Industrial Mathematics

 $\begin{aligned} -\frac{1}{Eh}\nabla^{4}\varphi &= \left(\frac{\delta^{2}w^{2}}{\partial x^{2}}\frac{\partial q^{2}}{\partial q^{2}} - 2\frac{\delta^{2}w^{2}}{\partial x\partial y}\frac{\partial x\partial y}{\partial x\partial y} + \frac{\partial q^{2}}{\partial y^{2}}\frac{\partial x^{2}}{\partial x^{2}}\right) + \left(\frac{\delta^{2}w^{2}}{\partial x^{2}}\frac{\partial q^{2}}{\partial y^{2}} - \left(\frac{\delta^{2}w^{2}}{\partial x\partial y}\right)\right) \\ &+ \frac{1}{Eh}\left(\frac{\partial^{2}S_{x}^{o}}{\partial y^{2}} - 2\frac{\partial^{2}S_{y}^{o}}{\partial x\partial y} + \frac{\partial^{2}S_{y}^{o}}{\partial x^{2}}\frac{\partial^{2}\varphi}{\partial x^{2}}\right), \\ \frac{\delta^{3}}{\nu^{2}}\nabla^{4}w &= P_{ext} + \left(\frac{\partial^{2}w_{0}}{\partial x^{2}}\frac{\partial^{2}\varphi}{\partial y^{2}} - 2\frac{\partial^{2}w_{0}}{\partial x\partial y}\frac{\partial^{2}\varphi}{\partial x\partial y} + \frac{\partial^{2}w_{0}}{\partial y^{2}}\frac{\partial^{2}\varphi}{\partial x^{2}}\right) + \left(\frac{\partial^{2}w}{\partial x^{2}}\frac{\partial^{2}\varphi}{\partial y^{2}} - 2\frac{\partial^{2}w}{\partial x\partial y}\frac{\partial^{2}\varphi}{\partial x\partial y} + \frac{\partial^{2}w}{\partial x^{2}}\frac{\partial^{2}\varphi}{\partial x^{2}}\right) \\ &- \frac{1}{C}\cdot\frac{\left(\frac{\partial^{2}}{\partial x}\left(\frac{\partial^{2}w}{\partial x}\right) + \frac{\partial^{2}w}{\partial x}\left(\frac{\partial^{2}w}{\partial x}\right)}{2}\right) - \frac{\partial^{2}M_{y}^{e0}}{2} + \frac{\partial^{2}w}{\partial x}\left(\frac{\partial^{2}w}{\partial x}\right) - \frac{\partial^{2}W_{y}^{e0}}{2}\right) - \frac{\partial^{2}M_{y}^{e0}}{2} + \frac{\partial^{2}w}{\partial x}\left(\frac{\partial^{2}w}{\partial x}\right) - \frac{\partial^{2}W_{y}^{e0}}{2}\right) - \frac{\partial^{2}M_{y}^{e0}}{2} + \frac{\partial^{2}W_{y}^{e0}}{2} + \frac{\partial^{2}W_{y}}{\partial x}\right) + \frac{\partial^{2}W_{y}^{e0}}{2} + \frac{\partial^{2}W_{y}^{e0}}{2}$

 Predicting and prescribing distortion of thin glass sheets.
 Investigate complex chemical processes. Examples include: the carbonate system, responsible for ocean acidification; the Acheson process, responsible for commercial production of silicon carbide.

Tissue engineering: the optimal placement of cells using magnetic micro-beads.

 $CO_2(g) \stackrel{K_H}{\longleftrightarrow} CO_2$

C. Sean Bohun (possible topics: 2 of 2)

Modelling processes that characterize unknown samples to increase their current capabilities. Examples include: rotating disk apparatus, high resolution melt analysis and cyclic voltammetry.

Develop mathematical tools to help design high power tuneable lasers.

Model biological processes. Examples include: brain vascular systems and bone remodelling. $M[A] = A \begin{bmatrix} 1 & -A \\ VW_0 (aEe^E) \\ Examples include: brain vascular \\ F[A] = A e^{ib[A]^2} \\ F[A] = A e^{ib[A]^2}$



Jane Breen (possible topics)

- Clustering algorithms in directed networks (with applications to road traffic dynamics)
- Kemeny's constant and graph connectivity
- Sensitivity analysis of Markov chain models



Mehran Ebrahimi (possible topics)

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- Medical image registration
- Medical image segmentation
 - Medical image fusion

$\begin{aligned} \frac{\partial \mathbf{u}}{\partial t} &= \nu \nabla^2 \mathbf{u} - 2\mathbf{\Omega} \times \mathbf{u} + (g\mathbf{e}) \\ \frac{\partial T}{\partial t} &= \kappa \nabla^2 T - (\mathbf{u} \cdot \nabla) \mathbf{T}, \end{aligned}$



Greg Lewis (possible topics)

- Transitions in atmospheric flow patterns
- Mathematical models for electro-location in weakly electric fish

 V · B = 0.

 $\nabla \times \mathbf{E} = -i\omega \mathbf{B}.$

 $= \mu \left(\left(\sigma + i \omega \epsilon \right) \mathbf{E} \right)$

Mathematical aspects of MRI

 $\nabla \cdot \mathbf{n} = 0$



Lennaert van Veen (possible topics) NOTE: Dr. van Veen is on sabbatical in 2021/2022

- Phase transition in interface formation. Will include elements of: theory of interface formation, stochastic partial differential equations, numerical methods, data analysis.
- Bi-stability and critical noise. Includes: "flickering" noise in dynamical systems, the telegraph process, simple simulations.

Stability analysis of shear flows. Will include elements of: Navier-Stokes flow, energy methods, Squire's theorem, Orr-Sommefeld equations.