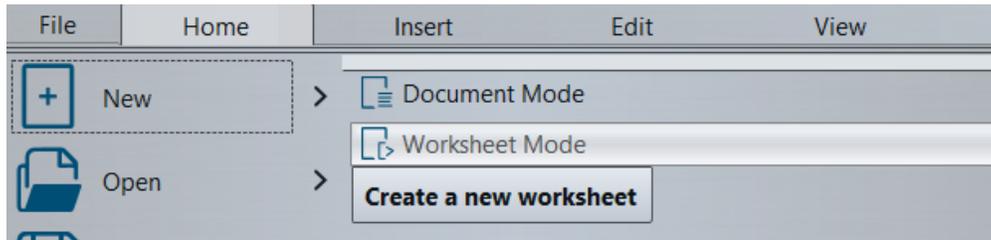


# Maple for Calculus I



## Start up

When getting familiar with Maple, it is best to start off with Worksheet Mode by pressing File > New > Worksheet Mode:



## General information

- Maple is much like Microsoft Word in terms of equation input. Use the following characters to denote each operation: multiplication (\*), division (/), exponents (^), and subscripts (\_).
- Maple is also case sensitive: make sure to watch out for capitalization (e.g., the variables `mapleVariable` and `MapleVariable` will be different and the commands `limit()` and `Limit()` will show different things.)
- Most Maple input requires you to end in a semicolon (;), so it is best to get into the habit.
- Comments can be added to code via the hashtag symbol (#).
- Maple Worksheets can be saved and run later.

## Basic math

Command	Output	Description
<code>&gt;restart;</code>		Clears variables from memory
<code>&gt;1234 + 4567;</code>	5801	You can use Maple as a regular calculator
<code>&gt;<math>\frac{5 \cdot 6 \cdot 9}{3}</math>;</code>	90	
<code>&gt;%;</code>	90	Recalls the answer from the previous line
<code>&gt;<math>\frac{\%}{9}</math>;</code>	10	

<code>&gt;(1 + 2)(1 + 2);</code>	<b>3</b>	Do not forget the multiplication sign or erroneous answers will appear
<code>&gt;(1 + 2)·(1 + 2);</code>	<b>9</b>	The correct way to write the above equation
<code>&gt;<math>\frac{2}{3}</math>;</code>	$\frac{2}{3}$	Fractions will appear as fractions
<code>&gt;evalf(<math>\frac{2}{3}</math>);</code>	<b>0.6666666667</b>	Evaluates the fraction as a floating point number
<code>&gt;Pi;</code>	$\pi$	
<code>&gt;evalf(Pi);</code>	<b>3.141592654</b>	Evaluates Pi as a floating point number
<code>&gt;Pi;</code>	$\pi$	
<code>&gt;evalf(%);</code>	<b>3.141592654</b>	% recalls the answer from the previous line
<code>&gt;exp(1);</code>	<b>e</b>	Euler's number
<code>&gt;evalf(%);</code>	<b>2.718281828</b>	% recalls the answer from the previous line
<code>&gt;sqrt(144);</code>	<b>12</b>	Computes the square root of 144

## Simple expressions and variables

Command	Output	Description
<code>&gt;Area := Pi·r<sup>2</sup>;</code>	<i>Area := <math>\pi r^2</math></i>	Defines the Area of a circle
<code>&gt;r := 10;</code>	<i>r := 10</i>	Assigns 10 to the variable 'r'
<code>&gt;Area;</code>	$100\pi$	Computes the Area of a circle
<code>&gt;evalf(Area);</code>	<b>314.1592654</b>	Evaluates the Area as a floating point number
<code>&gt;r := 5;</code>	<i>r := 5</i>	Assigns 5 to the variable 'r'
<code>&gt;Area;</code>	$25\pi$	Computes the Area with the new 'r' value
<code>&gt;evalf(Area);</code>	<b>78.53981635</b>	Evaluates the Area as a floating point number
<code>&gt;Area := `Area`;</code>	<i>Area := Area</i>	Clears data from the 'Area' variable
<code>&gt;Area;</code>	<i>Area</i>	Displays the Area variable

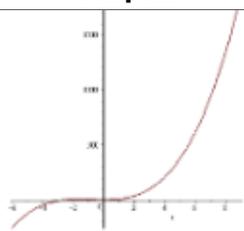
## Defining and Solving

Command	Output	Description
>y := 2·x <sup>3</sup> + 5·x <sup>2</sup> ;	$y := 2x^3 + 5x^2$	Defines the expression $y = 2x^3 + 5x^2$
>subs(x = 4, y);	208	Substitutes $x = 4$ and solves for $y$
>solve(y = 208);	$4, -\frac{13}{4} - \frac{1}{4}i\sqrt{247}, -\frac{13}{4} + \frac{1}{4}i\sqrt{247}$	Solves for $x$ when $y = 208$
>fsolve(y = 208);	4.	Solves for $x$ when $y = 208$ (floating point)

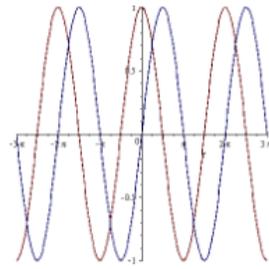
## Differentiating and Integrating

Command	Output	Description
>diff(y, x);	$6x^2 + 10x$	Differentiates $y$ with respect to $x$
>diff(y, x, x);	$12x + 10$	Second derivative of $y$ with respect to $x$
>subs(x = 4, diff(y, x));	136	Value of the first derivative when $x = 4$
>implicitdiff(x <sup>2</sup> ·cos(y)=0,y,x)	$\frac{2\cos(y)}{x\sin(y)}$	Differentiates the expression implicitly to get $\frac{dy}{dx}$
>int(y, x);	$\frac{1}{2}x^4 + \frac{5}{3}x^3$	Integrates $y$ with respect to $x$
>int(y, x = 0..6);	1008	Integrates $y$ from $x = 0$ to $x = 6$

## Plotting

Command	Output	Description
>plot(y, x = -6..9);		Plots $y$ vs. $x$ (for a range from $-6$ to $9$ )
>i := t -> sin(t);	$i := t \rightarrow \sin(t)$	Defines the function $i(t) = \sin(t)$
>j := t -> cos(t);	$j := t \rightarrow \cos(t)$	Defines the function $j(t) = \cos(t)$

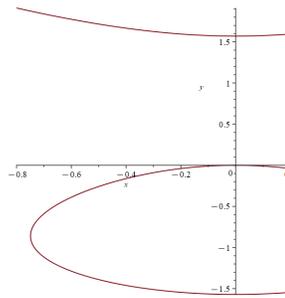
```
>plot({g, h}, t = -3·Pi..3·Pi);
>with(plots);
```



Plots expressions  $g$  and  $h$  vs.  $t$

Loads additional plotting commands

```
>implicitplot(x+y*cos(y)=0);
```



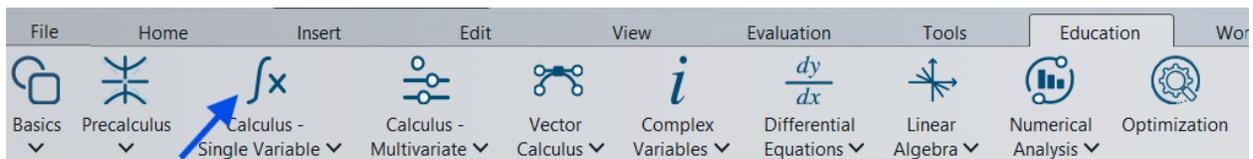
Plots the implicit function as  $x$  vs.  $y$

## Limits

Command	Output	Description
<code>&gt;limit(g, t = 0);</code>	0	The limit of $g$ as $t$ approaches 0
<code>&gt;limit(sqrt(x), x=0, right);</code>	0	The limit of $\sqrt{x}$ as $x$ approaches 0 from the right

## Interactive Menus

Maple provides several interactive menus located under the "Education" tab. For Calculus I, we will work entirely within the "Calculus Single Variable" dropdown.



To **approximate integration** using finite Riemann sums, select the  **Approximate Integration** tool. Once here, you can enter the function into the  $f(x)$  box, the endpoints into the  $a$  and  $b$  boxes, and the number of partitions into the  $n$  box. You can select your preferred sampling method from left, right, or midpoint. Once you are ready, click the "Display" button. You will see a visual

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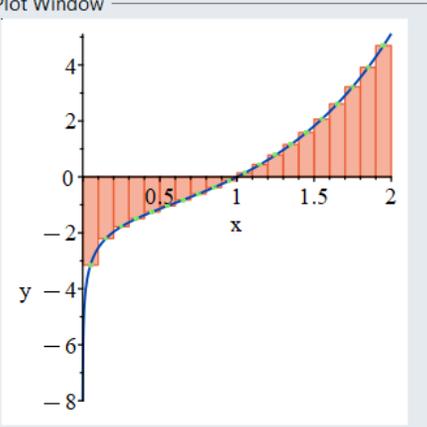


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Calculus 1 - Approximate Integration

File Help

Plot Window



Enter a function, interval, and number of partitions

f(x) =

a =  b =

n =

Riemann Sums

upper  lower  random

left  midpoint  right

Newton-Cotes Formulae

(1) Trapezoidal Rule  (2) Simpson's Rule

(3) Simpson's 3/8 Rule  (4) Boole's Rule

Newton-Cotes Formula with order =

Partition type

Normal  Subintervals

Approximate Area =

Actual Area =

Maple Command

```
ApproximateInt(exp(x)*ln(x), 0..2, 'partition' = 20, 'method' = midpoint, 'partitiontype' = normal, 'output' = 'plot', 'boxoptions' = ['filled' = ['transparency'=.5]]);
```

Display Animate Plot Options... Compare... Close

representation in the Plot Window. Below, you will see the Approximate Area (using Riemann sums) and the actual area (using definite integration).

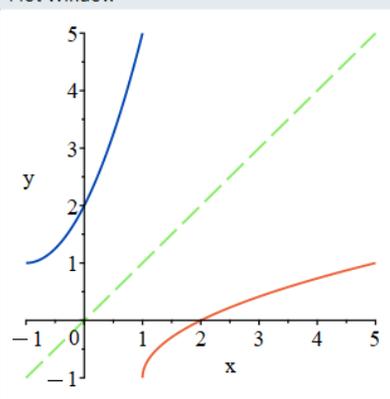
To compute a **function inverse**, select the  **Function Inverse** tool. Once here, enter your function into the  $f(x)$  box and enter the plotting bounds in the  $a$  and  $b$  boxes. Once you are ready, click the “Display” button. You will see a visual representation in the Plot Window. You can see the formula(s) of the inverse functions in the box to the right. Note: For complicated functions, you may not recognize the formula for the inverse; this is normal, since not all functions have elementary inverses.

To compute the **linearization or linear approximation** of a function around some point, select the  **Taylor Approximation** tool. Once here, enter your function into the  $f(x)$  box, the point you want your approximation centred around into the  $x$  box, and enter 1 into the Degree box. Once you are ready, click the “Display” button. You will see a visual representation in the Plot Window. You can see the  $m$  and  $b$  values for the linearization in the Taylor Polynomial box. If you click the “Display Taylor approximation with decimal coefficients” box, it will give decimal coefficients.

Calculus 1 - Function Inverse

File Help

Plot Window



Enter a function and an interval

f(x) =

a =  b =

Formula of the Inverse

$-1+(-1+x)^{1/2}$

$-1-(-1+x)^{1/2}$

Display Plot Options... Close

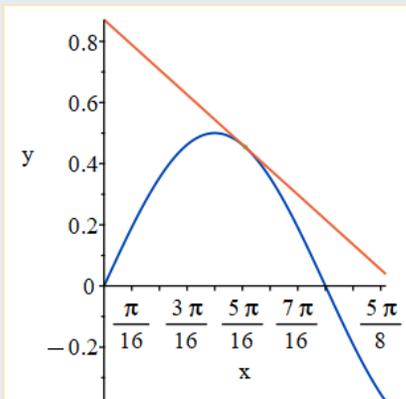
Maple Command

`InversePlot(x^2+2*x+2, x = -1..1);`

Calculus 1 - Taylor Approximation

File Help

Plot Window



Enter a function and initial point

f(x) =  x =

Degree =

Taylor Polynomial

The Taylor approximation to  $\cos(x) \sin(x)$  of degree 1 about the point 1 is:

$\cos(1) \sin(1) + (\cos(1)^2 - \sin(1)^2) (-1 + x)$

Display Taylor approximation with decimal coefficients

Display Animate Plot Options... Close

Maple Command

`TaylorApproximation(cos(x)*sin(x), 1, 'degree'=1, 'output'='plot');`